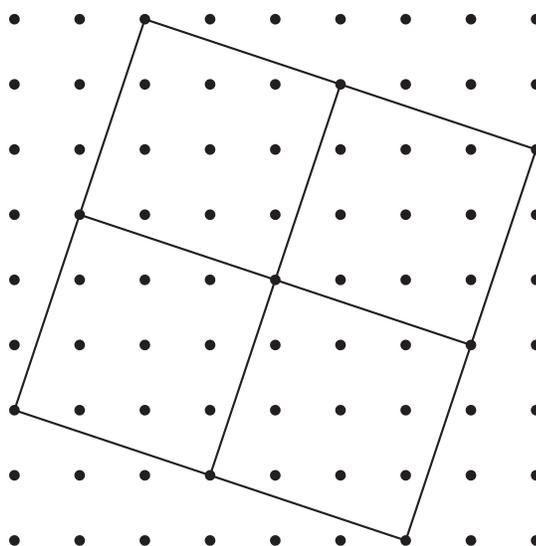


LAB 9.3

Simplifying Radicals

Name(s) _____

■ **Equipment:** Geoboard, dot paper



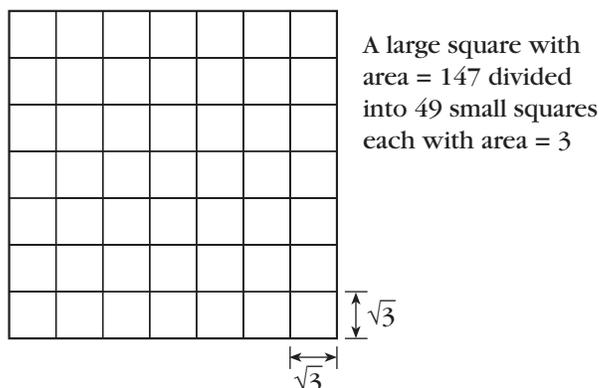
- In the above figure, what are the following measures?
 - The area of one of the small squares
 - The side of one of the small squares
 - The area of the large square
 - The side of the large square
- Explain, using the answers to Problem 1, why $\sqrt{40} = 2\sqrt{10}$.
- On the geoboard or dot paper, create a figure to show that $\sqrt{8} = 2\sqrt{2}$, $\sqrt{18} = 3\sqrt{2}$, $\sqrt{32} = 4\sqrt{2}$, and $\sqrt{50} = 5\sqrt{2}$.
- Repeat Problem 3 for $\sqrt{20} = 2\sqrt{5}$ and so on.

LAB 9.3

Name(s) _____

Simplifying Radicals (continued)

In the figure on the previous page, and in the figures you made in Problems 3 and 4, a larger square is divided up into *a square number of squares*. This is the basic idea for writing square roots in *simple radical form*. The figure need not be made on dot paper. For example, consider $\sqrt{147}$. Since $147 = 3 \cdot 49$, and since 49 is a square number, we can divide a square of area 147 into 49 squares, each of area 3:



If you pay attention to the sides of the figure, you will see that $\sqrt{147} = 7\sqrt{3}$. Of course, drawing the figure is not necessary.

5. Write the following in simple radical form.

- $\sqrt{12}$
- $\sqrt{45}$
- $\sqrt{24}$
- $\sqrt{32}$
- $\sqrt{75}$
- $\sqrt{98}$

Discussion

- Draw a figure that illustrates $4\sqrt{5}$ as the square root of a number.
- Explain how to use a number's greatest square factor to write the square root of that number in simple radical form. Explain how this relates to the figure above.